



Formalizing Deductive Coherence: An Application to Norm Evaluation

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Outline

- ★ Motivation- Treatment of Norms
 - Agent Level
 - Normative Multi Agent System Level
- ★ Coherence Framework
 - Coherence Theory
 - Coherence Graphs
 - Computing Coherence
- ★ Deductive Coherence
 - Deductive Coherence Function
 - Properties
- ★ A Coherence Maximizing Agent





Scenario - Water Sharing



Signed Treaty (1989): Region A should release 300 billion ft to Region B



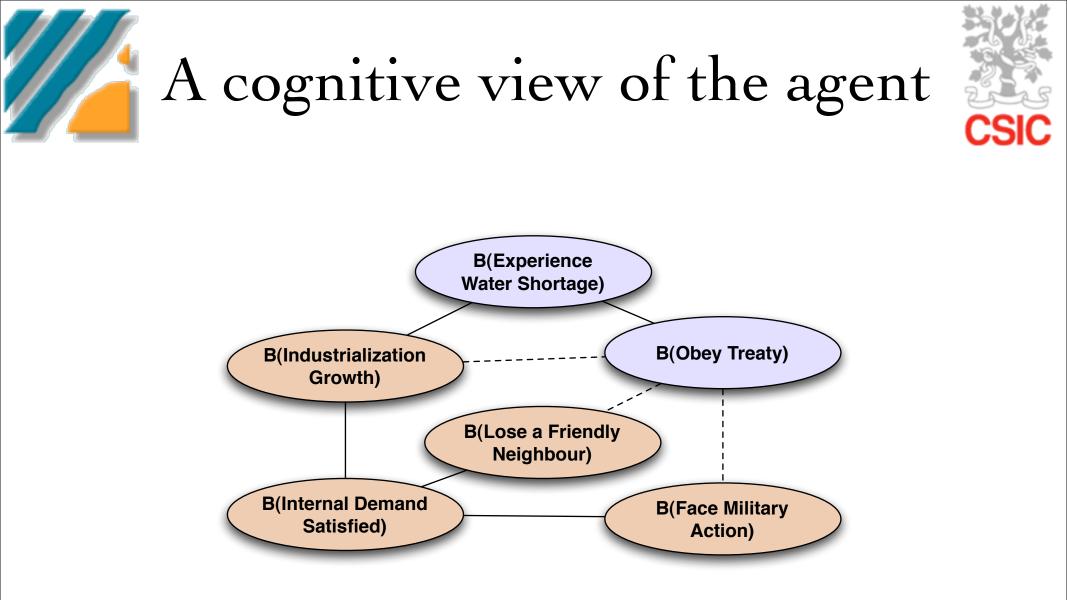
2008 Region A

- •control of water source
- •experiences large scale urbanization
- •depends largely on industries
- •experiences diminishing rainfall
- •high revenue producing

Region B

- •depends on agriculture
- •depends on water released from s
- •increasing demand for water
- •strong military power

Should Region A Share its water?



Associations are at the core



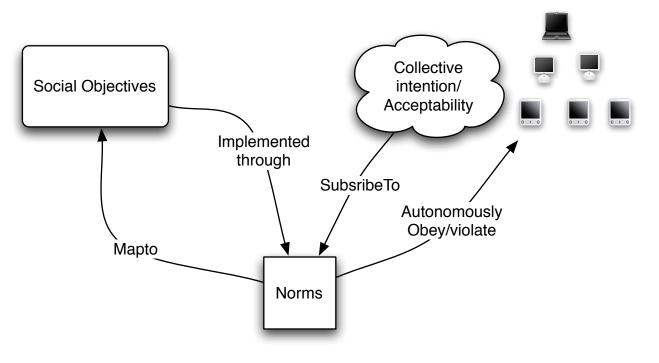
Agent Level - Autonomous Norm Evaluation



- ★ Norms prevail over time
- ★ No general rule can be applied to follow norms over time
- ★ Consequence of a norms vary over situations
- ★ Norms interact in complex ways with cognitions

Normative Multiagent Systems

- → Have certain social/ and functional objectives
- Supported by collective intention
- Implemented through Norms and Structure



Treatment of Norms - System perspective

- ✤ Norm Verification & Validation
 - Verify Norm consistency and correctness
 - Validate against social/functional objectives
- ∞ Norm Evolution
 - ✤ Joining a normative MAS is norm acceptance
 - Norm violations may be due to shift in collective intention
 - Norm adaptation & redefinition

Normative Multiagent Systems Design

Properties

- ★ Situation dependent
- ★ Conflict in interest
- ★ Consequence of a norm
 - Influence of sanctions & rewards
- ★ Interacting constraints

Solutions

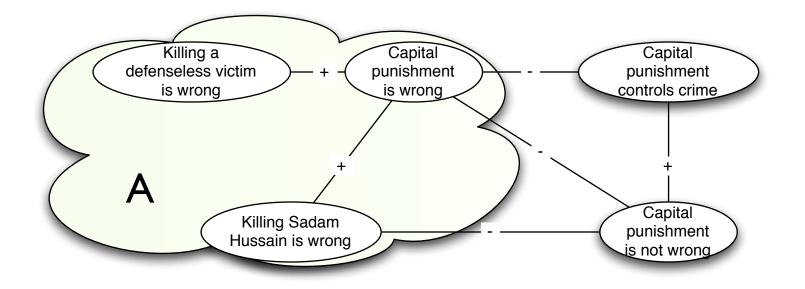
- Assign Priorities- at the agent level
 BOID
- ★ Design normative systems for autonomous agents
 - Normas- normative system design
 - EMIL-A differentiate norm recognition from norm adoption
 - Lopez et al. expressive representation of norms
- ★ Bring in autonomy
 - Coherence Theory



Coherence Theory



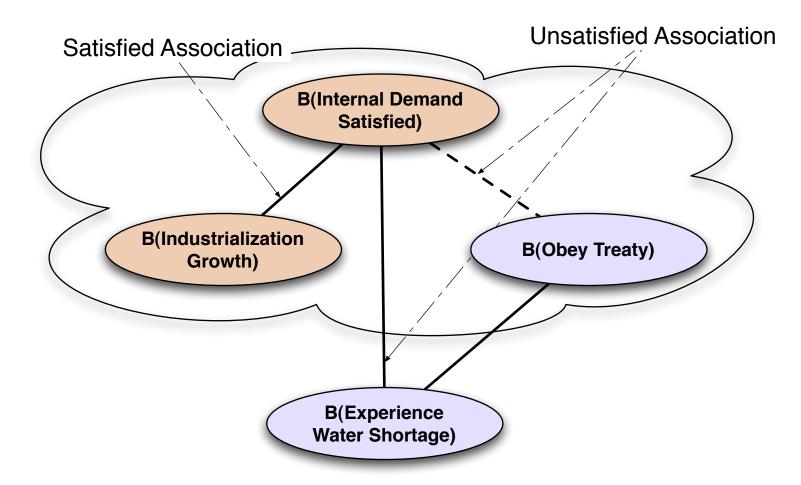
- Coherence study associations between Pairs of Information
- Items in coherent systems mutually support
- Coherence can be understood as constraint satisfaction





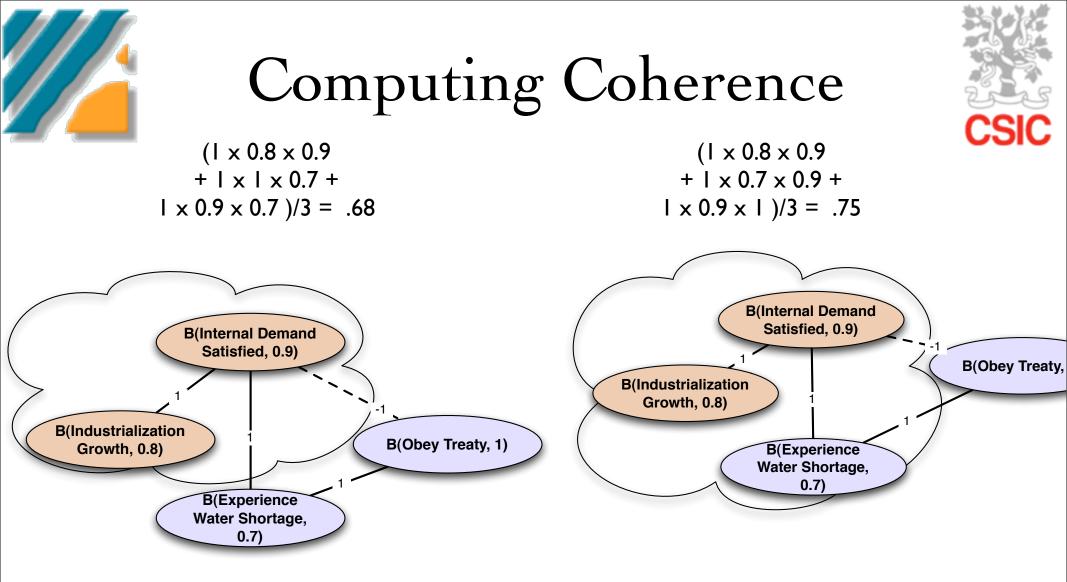
Coherence as Constraint Satisfaction





Satisfied Constraints

 $C_{\mathcal{A}} = \left\{ (v, w) \in E \middle| \begin{array}{l} v \in \mathcal{A} \text{ iff } w \in \mathcal{A}, \text{ when } \zeta(v, w) > 0 \\ v \in \mathcal{A} \text{ iff } w \notin \mathcal{A}, \text{ when } \zeta(v, w) < 0 \end{array} \right\}$



Total Strength

Coherence = 0.75

$$S(g, \mathcal{A}) = \frac{\sum_{(v, w) \in C_{\mathcal{A}}} |\zeta(v, w)| \cdot \alpha(v) \cdot \alpha(w)}{|E|}$$

$$C(g) = \max_{\mathcal{A} \subseteq V} S(g, \mathcal{A})$$



Thagard's Principles

- Deductive coherence is symmetric relation.
- proposition coheres with propositions deducible from it.
- 3) Propositions that together are used to deduce some other
 proposition cohere with each other.
- 4) The more hypotheses it takes to deduce something, the less the degree of coherence.

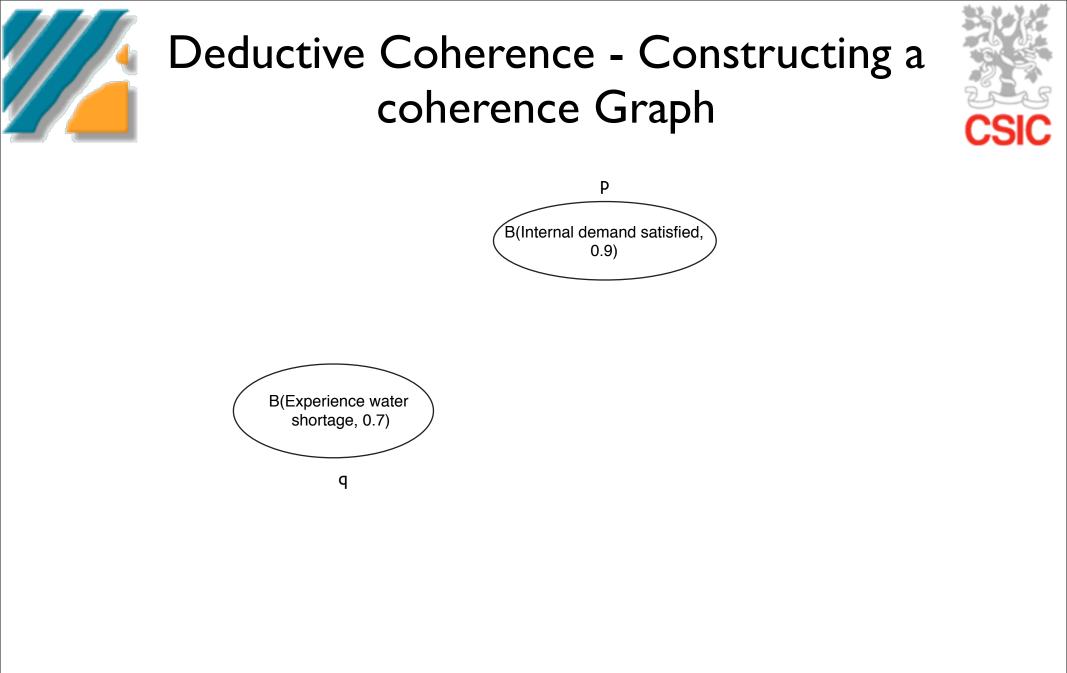
- Contradictory propositions are incoherent with each other.
- 6) Propositions that are intuitively obvious have a degree of acceptability on their own.
- 7) The acceptability of a proposition
 in a system of propositions
 depends on its coherence with
 them

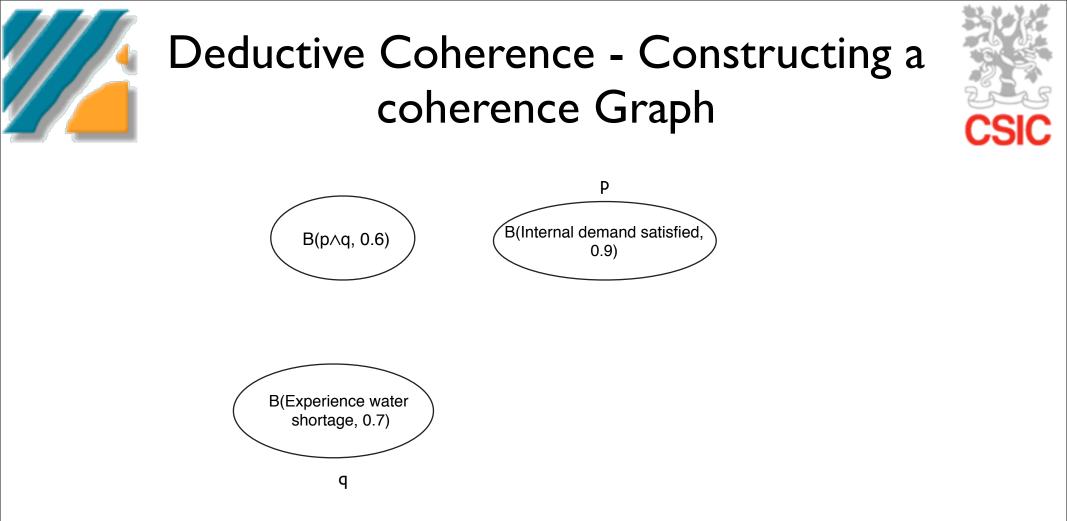




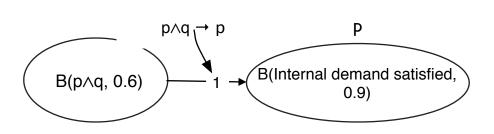


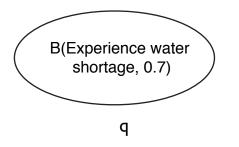
Ρ B(Internal demand satisfied, 0.9)

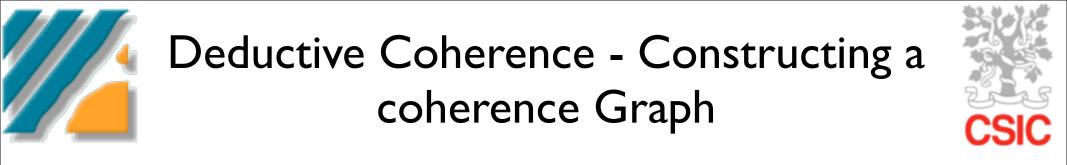


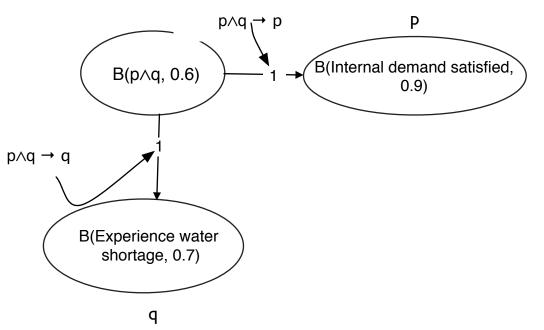


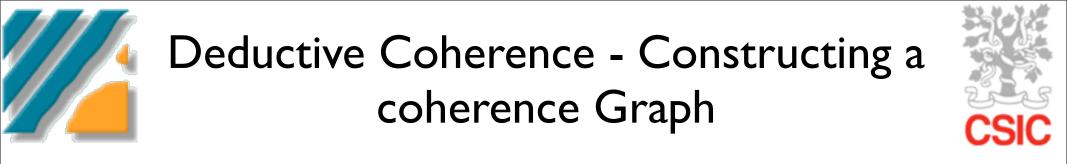


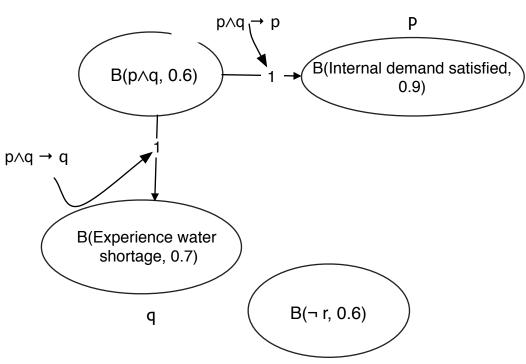


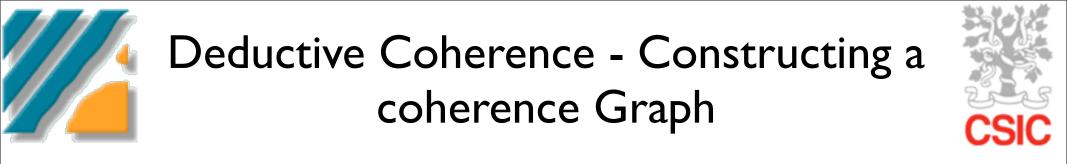


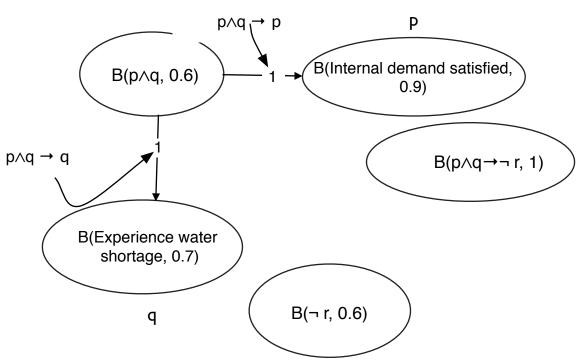


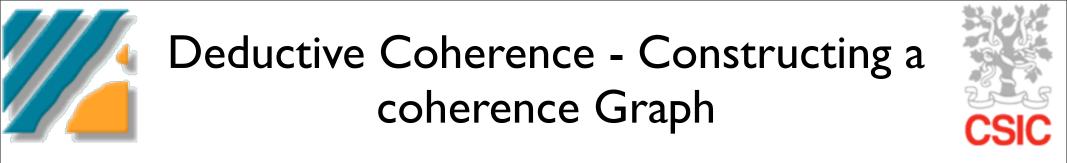


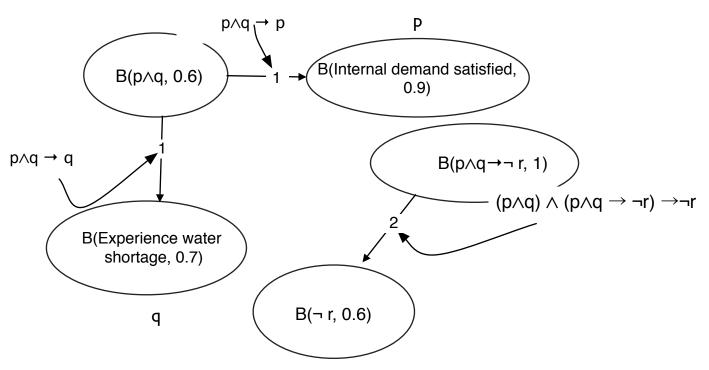


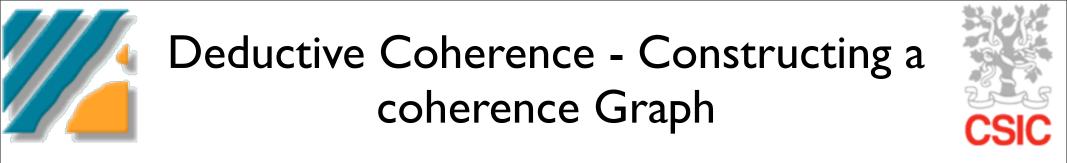


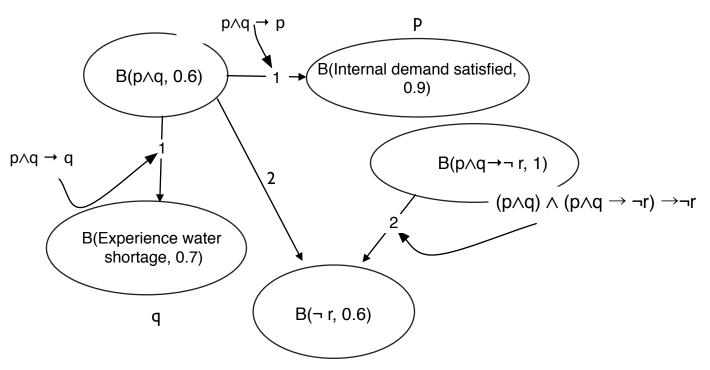


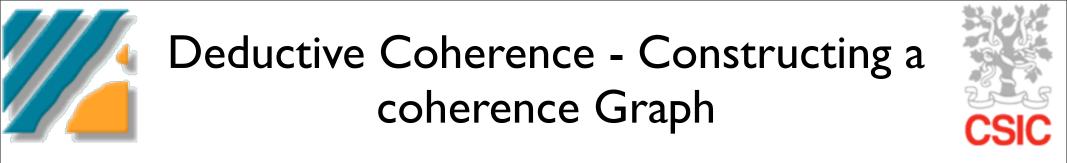


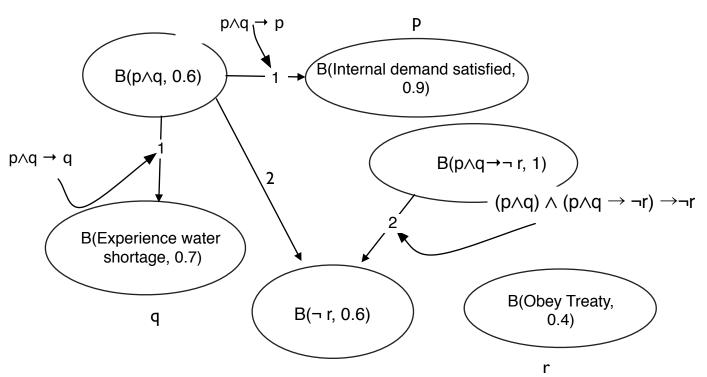


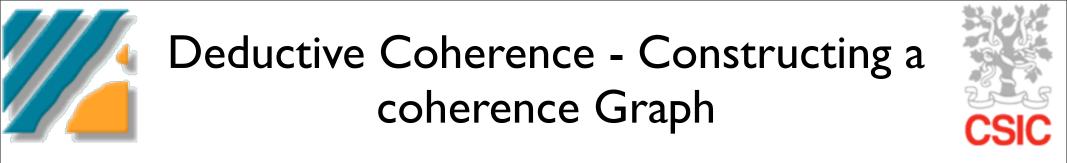


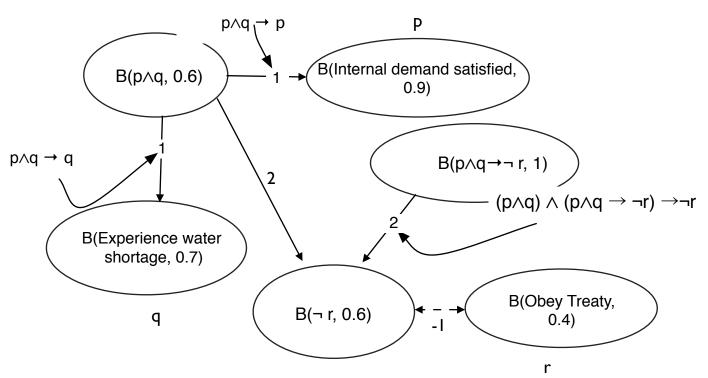


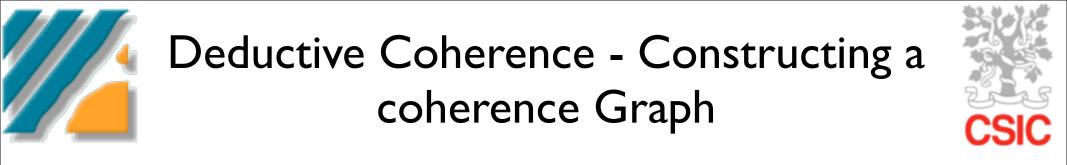


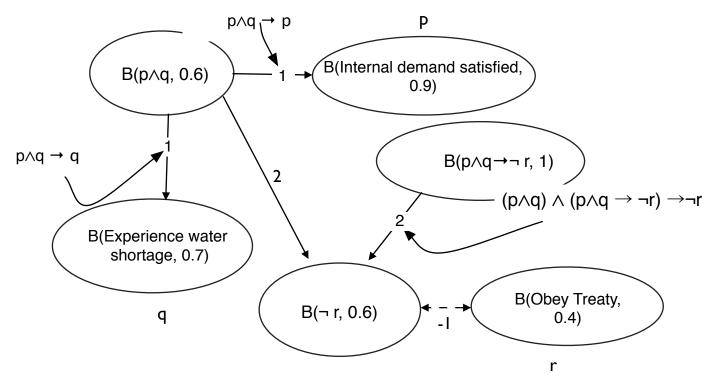












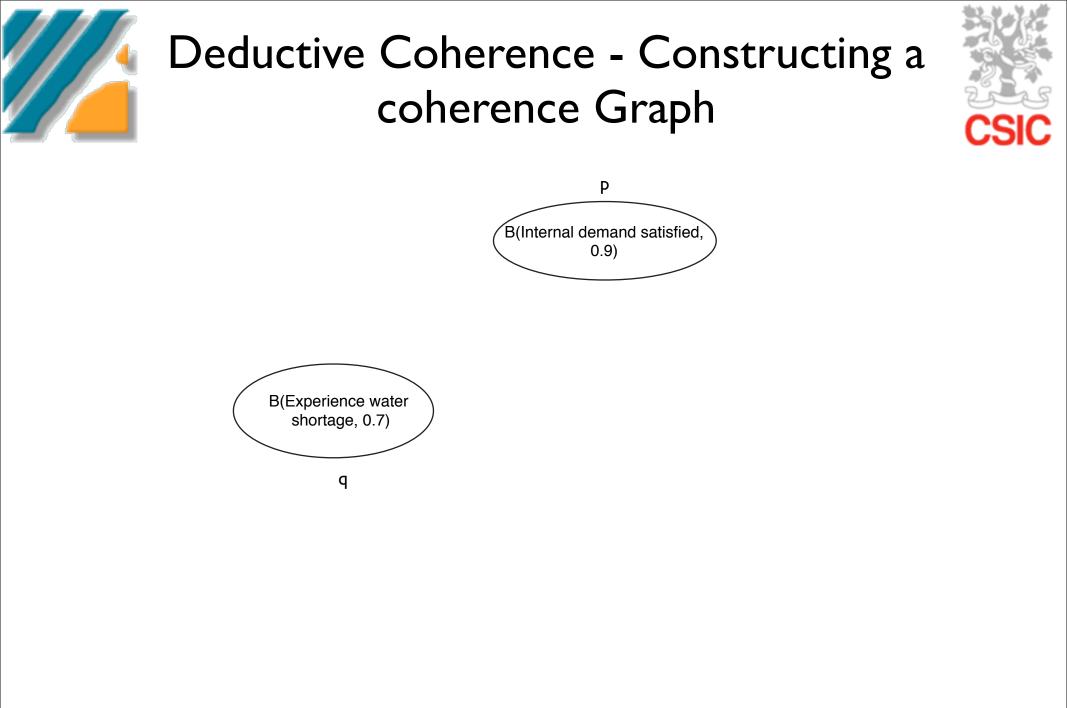
 $\mathsf{SD}(\mathbf{x}, \mathbf{\beta}) = \begin{cases} n+1 & \text{if there exists } \Gamma \subseteq \mathcal{T}, \text{ the smallest set, such that } \Gamma, \alpha \vdash \beta \\ & \text{and } |\Gamma| = n \text{ and } \Gamma, \alpha \not\vdash \text{ and } \Gamma \not\vdash \beta \\ 1 & \text{if } \vdash \beta \text{ and } \alpha \not\vdash \\ -1 & \text{if } \alpha, \beta \vdash \\ undefined & otherwise \end{cases}$

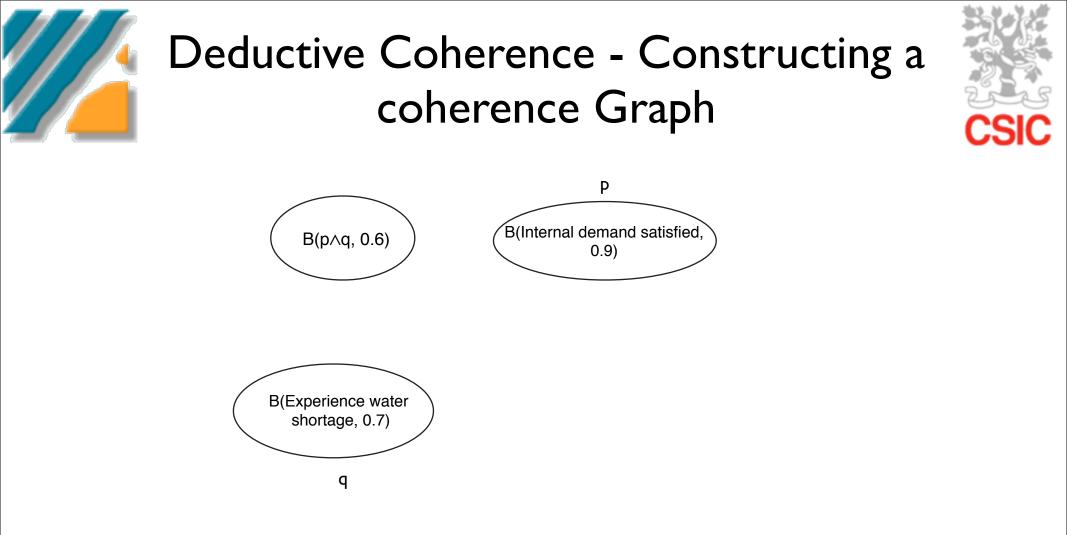




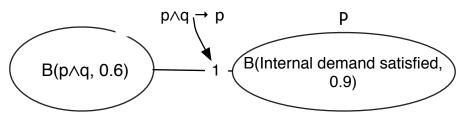


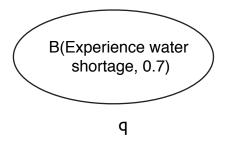
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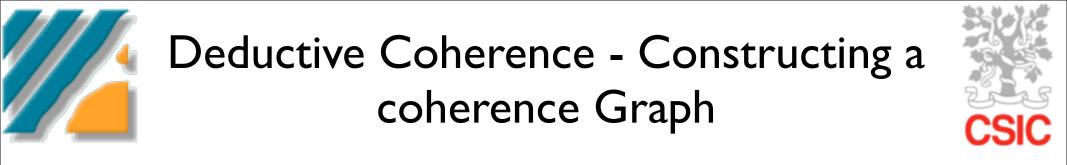


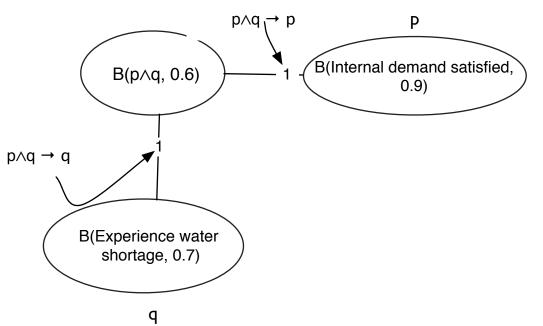


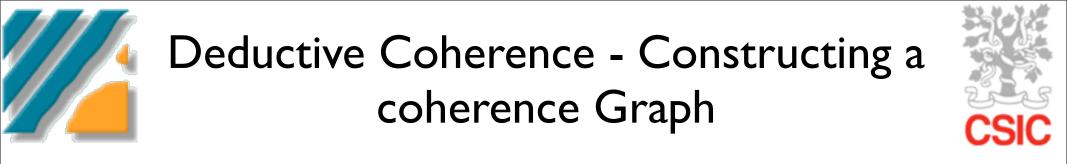


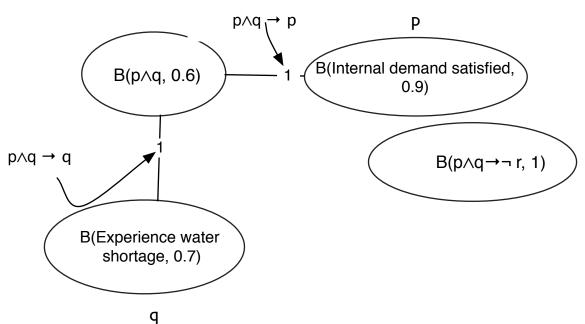


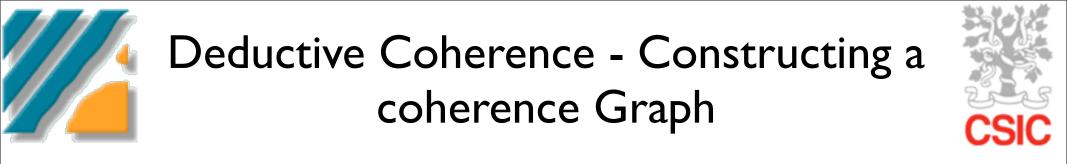


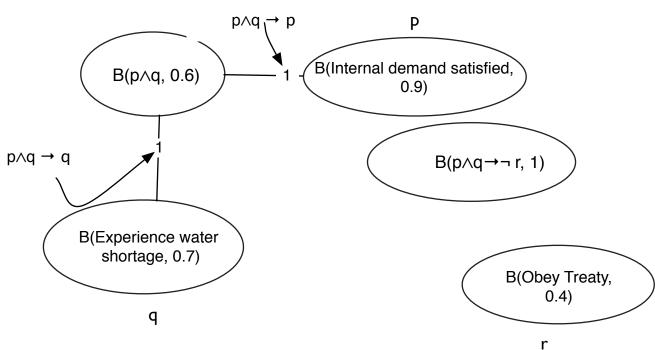


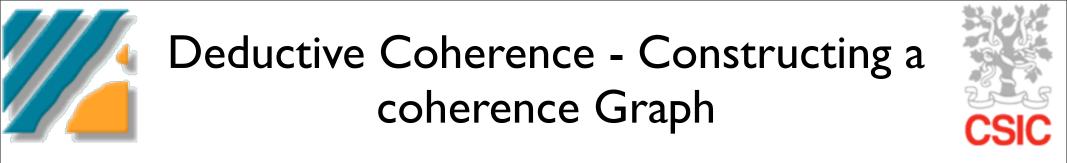


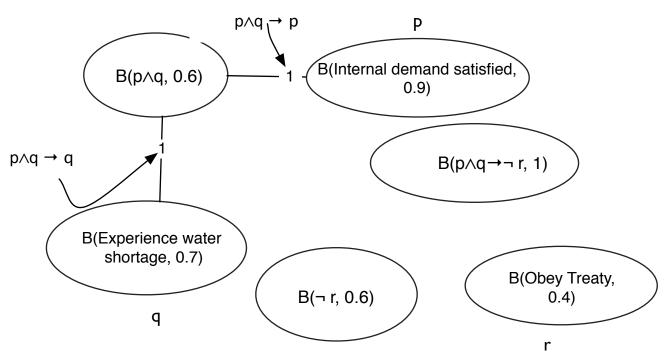


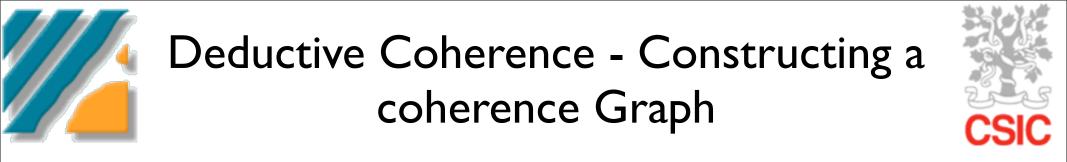


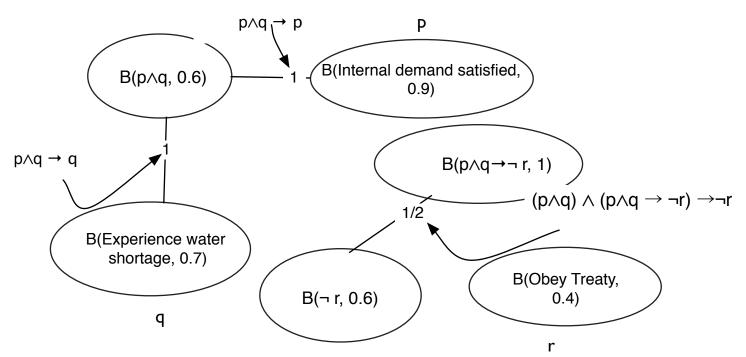


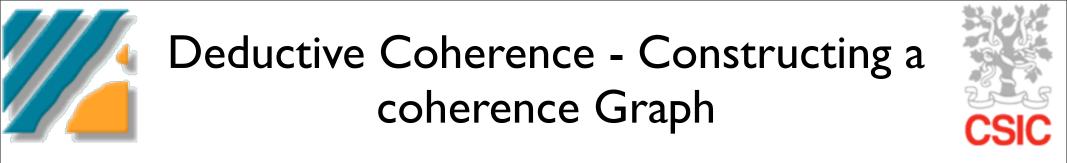


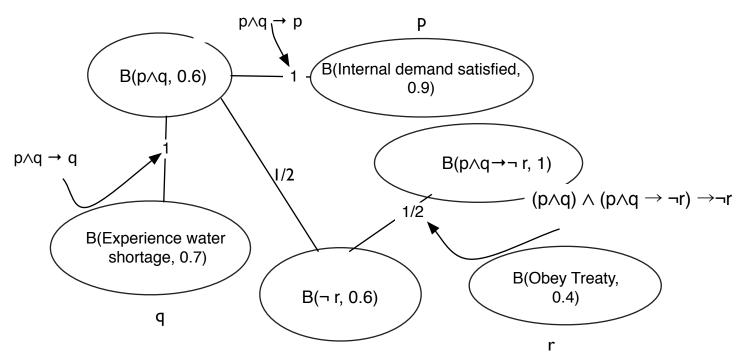


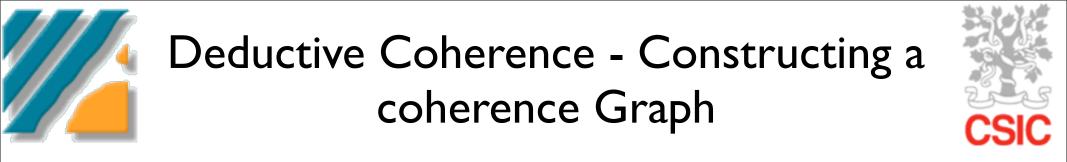


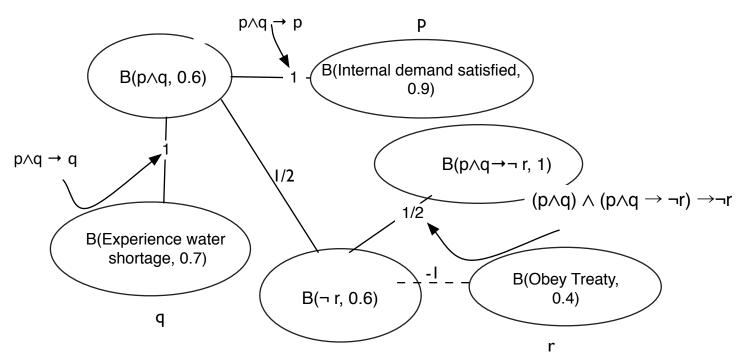




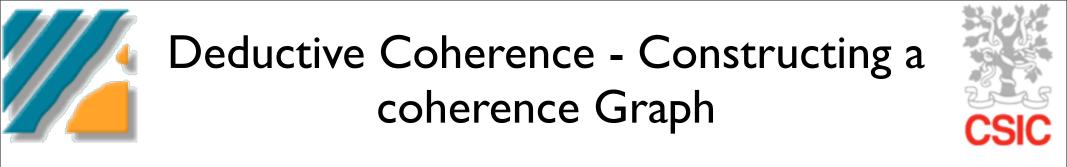


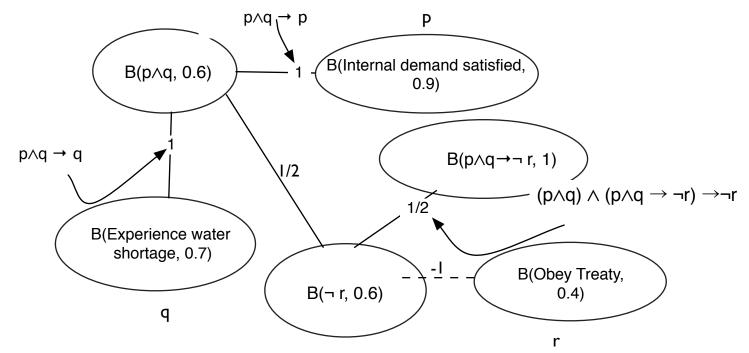






We show that $\boldsymbol{\varsigma}$ Satisfies Thagard's Principles





$$\zeta(\alpha,\beta) = \begin{cases} 1/\min(\eta(\alpha,\beta),\eta(\beta,\alpha)) \\ 1/\eta(\alpha,\beta) \\ 1/\eta(\beta,\alpha) \\ undefined \end{cases}$$

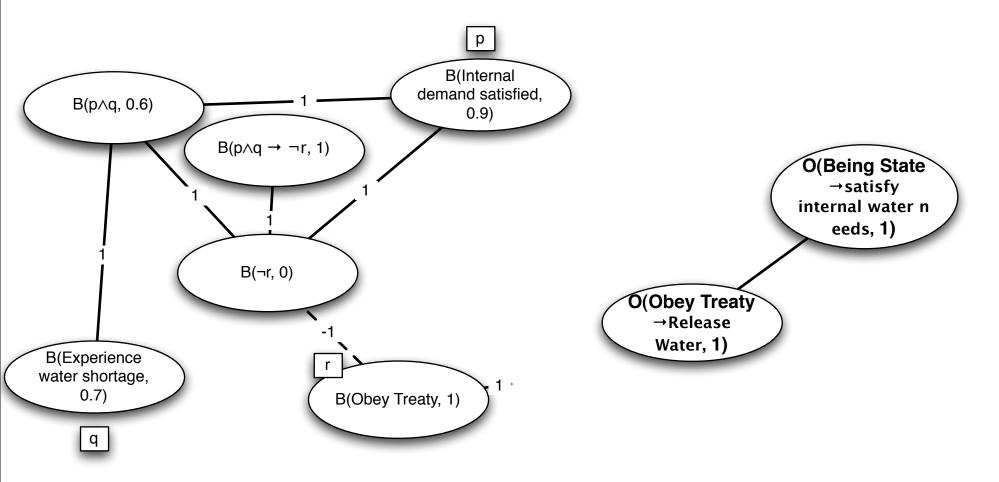
if both $\eta(\alpha, \beta)$ and $\eta(\beta, \alpha)$ are defined if $\eta(\alpha, \beta)$ is defined and $\eta(\beta, \alpha)$ undefined if $\eta(\beta, \alpha)$ is defined and $\eta(\alpha, \beta)$ undefined otherwise

We show that $\boldsymbol{\zeta}$ Satisfies Thagard's Principles





★ Corresponding to a BDI- normative agent





Composition preserves existing relations
 May Add new nodes to participating graphs
 Adds new edges between participating graphs





An agent is a multi-context System $\langle \{C_i\}, \Delta_b, f, h \rangle$

$\mathbf{Br} = \frac{o: O(\varphi \to \psi), i: I(\varphi)}{i: I(\psi)}$





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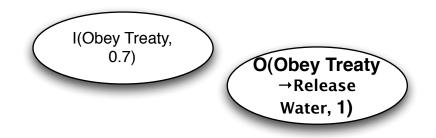






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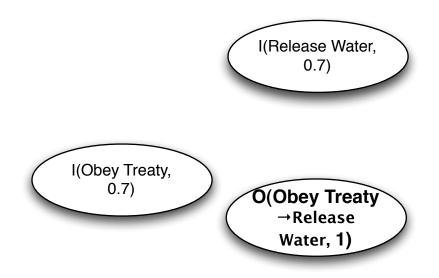






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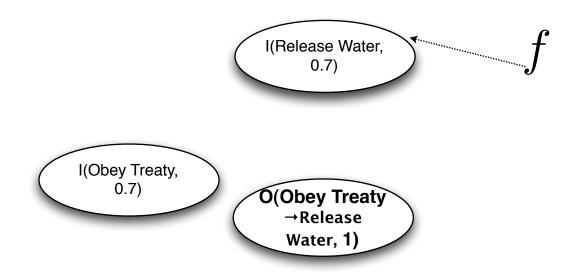






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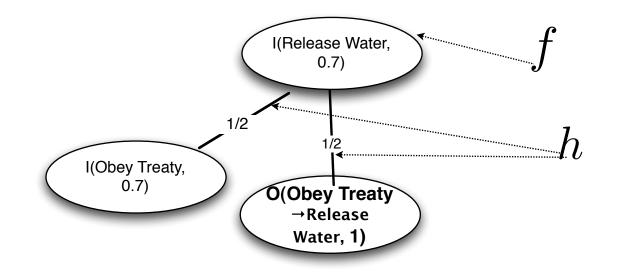






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A Coherence Maximizing Agent



★ Evaluates each Action against coherence maximization

Accepts signing the treaty:

$$V_1 := V_1 \cup \{B(p_{16}, 1), I(p_{16}, 1)\}$$

Coherence $4.41/16 = 0.28$

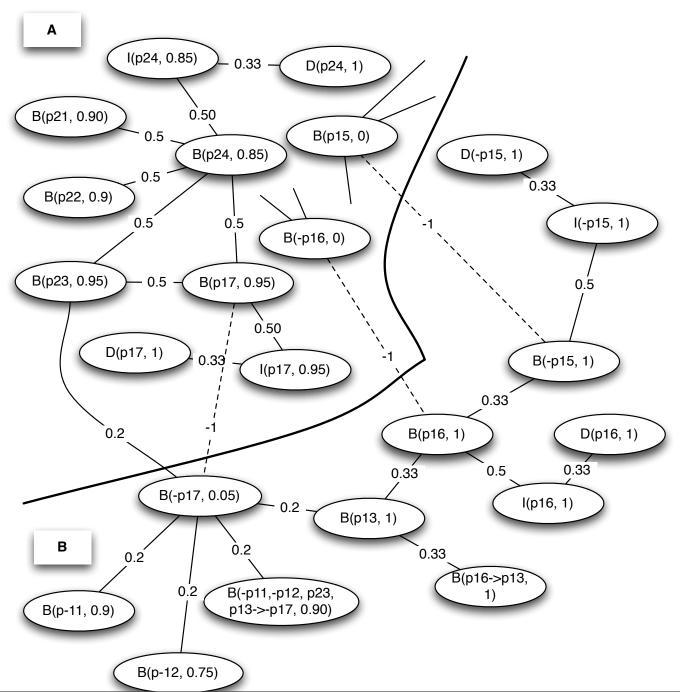
Rejects Signing the treaty:

 $V_1 := V_1 \cup \{B(\neg p_{16}, 1), B(p_{15}, 1)\} \setminus \{I(\neg p_{15}, 1)\}$ Coherence 3.07/16 = .19

 $p_{15} | \langle s_2_threat, status, realized \rangle \\ p_{16} | \langle norm_proposal, status, accepted \rangle$



Evaluating a Norm



CSIC



Summary & Future Work



✤ Summary

- A generic framework to introduce autonomy in a normative multiagent system
- ∞ Future Work
- Study norm violation from an institutional perspective
- Experimental evaluation of coherence based agents and institutions



Related work in the field



- Evolutionary /learning techniques for adaptive institutions.
- Incorporating Rewards and sanctions to influence agent decisions
- Coherence theory for dialogue generation
- ✤ Coherence from an argumentation perspective
- Internal Argumentation